Electoral Competition as a Determinant of Fiscal Decentralization

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Abstract
Fiscal decentralization is high on the agenda in policy fora. This paper empirically investigates the underlying causes of fiscal decentralization, based on the predictions of a simple political economy model. We argue that the likelihood that a central government engages in devolution of powers depends in important ways on the political forces that it faces, the theory’s main insight being that the central government’s electoral strength should, all else being equal, decrease that government’s share of spending. Consistent with the model’s predictions, empirical results from a panel of democracies support the relevance of political factors as determinants of fiscal decentralization. The relationship between central government electoral strength and both expenditure and revenue centralization emerges as negative and non-linear.

Keywords: Fiscal decentralization; Fiscal federalism; Vertical interactions; Partial Decentralization; Elections

JEL codes: H77, D72, H11
< Tables and Figures at end >

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1 Introduction

Sub-central governments enjoy larger degrees of competence in revenue and expenditure decisions, a trend that has been documented empirically (Arzaghi and Henderson, 2005). What are the determinants of this trend? And what are the channels through which decentralization is achieved? These questions, while on top of the policy agenda, have been relatively little explored.

In this paper we explore the political determinants of fiscal decentralization. In particular, we argue that the likeliness that a central government engages in transfer of powers depends in important ways on the political forces that it faces, the theory’s main insight being that the central government’s electoral strength should, all else being equal, decrease that government’s share of spending. In the model, rents associated with holding office and citizen welfare are substitutes in the central politician’s objective function. Citizen welfare depends, in turn, on a combination of public goods produced by both the central government and local governments. In this framework, central politicians may tend to increase their spending on the central public good for electoral purposes. Yet, accumulated political capital weakens this incentive for strong central politicians, making them more likely to be responsive to citizen welfare. While this responsiveness does imply spending on the central government’s own public good, it also involves the devolution of spending powers to local governments provided that central and local public goods are complements. Thus our theoretical perspective links the electoral prospects of central governments (government strength) to their willingness to devolve spending responsibilities to local governments (fiscal decentralization).

While an important literature has documented an empirical relationship between electoral competition and fiscal policy – either from the macro perspective of ‘electoral budget cycles’\(^1\)

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\(^1\)See Brender and Drazen’s (2005) important cross-country work.
or the micro perspective of ‘redistributive politics’ – the conceptually close empirical literature on the determinants of fiscal decentralization has been slow to incorporate political variables in the analysis. An early, cross-sectional attempt is Panizza (1999), who finds that country size, income, ethnic fractionalization and the degree of democracy all reduce the degree of fiscal centralization. Similar results are presented by Arzaghi and Henderson (2005), using panel data. A more recent study, also in a panel context, on the determinants of decentralization in Switzerland (Feld et al., 2008) shows that centralization is negatively related to the availability of direct democratic decision-making (referenda), while Stegarescu (2009) documents the role of political integration as a determinant of fiscal decentralization in OECD countries. None of these papers, however, test for the effect of electoral competition on decentralization. Our paper aims at filling this gap, by including in fiscal decentralization regressions a measure of government strength.

Our analysis is based on a theoretical political economy framework, thus introducing explicitly the effects of political choices on the degree of decentralization.

Using data from a panel of democracies, we explore the role of electoral conditions prevailing at the central level on the degree of both expenditure and revenue centralization. Fixed effects regressions generally support our theory’s prediction together with highlighting a non-linear relationship between centralization and government strength. Overall, we find that electorally

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2For example, on the role played by electoral competition in the geographical allocation of public infrastructure expenditures, see Knight (2004), Cadot et al. (2006) and Joanis (2011).

3We measure government strength as the share of seats held by government in parliament. Alternative measures (which we include as controls) are based on political fragmentation indices. Such measures have been used by some authors to test for the “weak government hypothesis” in studies of a single government’s fiscal discipline. The weak government hypothesis states that a government formed by a larger number of actors is more prone to the adverse consequences of a common-pool resource problem (Elgie and McMenamin, 2008). On the empirical relationship between fiscal discipline and political fragmentation, see Roubini and Sachs (1989), de Haan and Sturm (1997), de Haan et al. (1999) and Volkerink and de Haan (2001).

4Panizza (1999) also presents a theoretical model in which the degree of centralization is endogenously determined. However, the empirical implementation of that model does not focus on electoral variables.

5The paper is also related to the large body of empirical research investigating decentralization as a determinant of various economic variables. For example, Oates (1985) relates the size of government to the degree of decentralization, a question that has been taken up by a number of studies (for a survey, see Feld et al., 2003). Thus, decentralization often features as an explanatory variable in empirical research on fiscal federalism.
strong central governments tend to be associated with lower levels of centralization. More
generally, these results suggest that electoral variables rightly belong in the set of determinants
of fiscal decentralization.

The paper proceeds as follows. Section 2 lays down the theoretical model and derives the
main empirically-testable prediction. Section 3 describes the data, with empirical results being
presented and discussed in Section 4. The last section concludes.

2 A Political Economy Model of Decentralization

This section lays down a simple political economy model of the behaviour of a central govern-
ment facing a choice between spending centrally and devolving some spending responsibilities
to a local level of government. The analysis is cast in the context of a pure moral hazard
political agency model, an approach initiated by Barro (1973) and Ferejohn (1986).

2.1 Model and Main Testable Prediction

In the first of two periods, the central government chooses a spending policy to maximize a
linear combination of expected discounted political rents over the two periods and of voter
welfare, subject to the constraint that it needs to seek reelection at the end of the that period. Its probability of reelection is increasing in spending at the central level.

More specifically, the central government makes decisions over spending on a central public
good ($g^c$) and on the decentralization of some spending responsibilities ($g^l$) to a local level of
government. The objective of the politician in power is:

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We follow Treisman (2007) and Brülhart and Jametti (2007) in assuming that politicians are neither extreme revenue maximizing Leviathans nor pure welfare maximizers.
\[
\begin{align*}
\max_{g^l, g^c} & \left[ s_1 + \beta \sigma s_2 \right] + \left( 1 - \theta \right) W(g^l, g^c) \\
\text{s.t.} \quad & s_1 = T - g^l - g^c \\
& s_2 = T - g^l,
\end{align*}
\]

where \( s_t \) is the political rent extracted at \( t = 1, 2 \) and \( W \) is social welfare, which is increasing in spending at both the central and regional levels, and \( \theta \in [0, 1] \) is the weight of rent extraction. The two constraints determine the amount of rents taken by the central politician in each period, where \( T \) represents the (exogenous) fiscal base. The period-1 devolution decision is durable and reduces the amount of rents that he can take in both periods. Second-period rents are discounted by a time preference factor \( (\beta) \) and by the politician’s perception of his reelection probability \( (\sigma) \). We assume that he is limited to only two terms in office, as such he becomes a lame duck if reelected.\(^7\) This is reflected in the period-2 constraint.

We assume a simple form of probabilistic voting, with \( \sigma = G(\gamma + g^c) \). \( G \) is an increasing and concave function of electoral capital \( \gamma + g^c \), where the parameter \( \gamma \) captures the electoral strength of the incumbent central politician.\(^8\) With these assumptions on the electoral process, the federal government’s problem yields the following first order conditions:

\[
\dot{g}^c = G^{-1} \left( \frac{1}{\beta} \left[ \frac{1 - \theta}{\theta} W'_l - 1 \right] \right) - \gamma \equiv B - \gamma, \tag{4}
\]

\[
\dot{g}^l = \frac{1}{\beta G'(\gamma + \dot{g}^c)} \left[ \frac{1 - \theta}{\theta} W'_c - 1 \right] + T, \tag{5}
\]

where \( W'_j \) is the partial derivative of social welfare with respect to spending by government \( j \),

\(^7\)This is an assumption for simplicity. Alternatively, one could assume that spending decisions at the central level \( (g^c) \) are over two periods. This complicates the analysis but does not change our general results.

\(^8\)We follow Joanis (2011) in adopting this particular functional form.
and $G'$ is the first derivative of $G$. Together, these two equations imply:

\begin{align}
\hat{g}^c &= B - \gamma, \quad \text{(6)} \\
\hat{g}^l &= \frac{1}{\beta G'(B)} \left[ \frac{1 - \frac{\theta}{\theta}}{W' - 1} \right] + T \equiv A, \quad \text{(7)}
\end{align}

where $A$ and $B$ are functions of exogenous model parameters if $W$ has constant partial derivatives.

In this simple model, electoral strength linearly reduces the central government’s own spending: safe reelection prospects reduce the politician’s need to court his electorate by spending on the central public good. Solving, we obtain the following condition for the degree of centralization ($CENTRAL$):

\[
CENTRAL \equiv \frac{\hat{g}^c}{\hat{g}^c + \hat{g}^l} = \frac{1}{\frac{A}{B - \gamma} + 1}. \quad \text{(8)}
\]

Thus, the level of centralization depends negatively on electoral strength ($\gamma$), which is what we will test for in the empirical application. Notably, the relationship is non-linear, something we will also address.

### 2.2 Relation to the Theoretical Literature and Confounding Channels

This simple theoretical model contributes to a small but growing group of models of ‘partial’ decentralization. In most of the standard fiscal federalism theoretical literature, the devolution of public good provision and financing is assumed to be a binary decision, i.e. expenditures are either provided by the central or the local governments. Based on the “Decentralization Theorem” (Oates, 1972) allocation of public goods and services is guided by a trade-off between internalizing inter-jurisdictional spillovers and scale economies and catering to local
preferences. Notably, even what is known as the Second Generation Theory of Fiscal Federalism (Weingast, 2009), while moving away from assuming benevolent governments to include political dimensions, still essentially remains within a binary choice framework. The recent literature on partial decentralization is devoted to studying instances of multi-level governance departing from the binary allocation of fiscal responsibilities. A key message of this literature is that institutional frameworks characterized by partial decentralization are especially prone to political influences – see Devarajan et al. (2009) and Joanis (2009).

An innovative feature of the theoretical perspective adopted here is its focus on the federal government’s key role in influencing the equilibrium degree of (partial) decentralization. The model offers an interesting perspective on the following question: Why would an opportunistic central politician ever let go of some spending responsibilities or revenues? The model predicts that devolution will occur if the central government’s reelection prospects are high – i.e. if government strength, captured in the model by political capital $\gamma$, is high – and if local spending is sufficiently welfare-improving from citizens’ perspective.

Our theory thus predicts a monotone, non-linear negative relationship between government strength and centralization. This relationship depends on two important implicit assumptions.

The first one is related to the debate between the so-called ‘swing voter’ and ‘machine politics’ views of electoral politics. Should a government invest more in public good provision when its reelection prospects are uncertain? The implicit assumption in our model is yes: when reelection uncertainty increases (i.e. $\gamma$ decreases), the expected electoral return on spending by the central government goes up (since $G$ exhibits decreasing returns). This is consistent

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9 See Epple and Nechyba (2004) for a recent survey.
10 The standard in the First Generation Theory (Oates, 2003).
11 The political economy of partial decentralization has received relatively little attention in the literature. Recent exceptions include Brueckner (2009), who studies partial fiscal decentralization in a Tiebout-style framework, and Hatfield and Padro i Miquel’s (2008), whose analysis is cast in a tax competition framework. Note that neither of these papers provide an empirical application.
with the Downsian tradition, where an incumbent should be expected to spend most when
the election is most uncertain – see, for example, Lindbeck and Weibull (1987). However, a
competing view of government behaviour supports the opposite prediction. According to the
alternative machine politics view, public spending is a safer investment for strong electorally-
motivated governments than for weak ones. This view of government behaviour is consistent
with a theoretical perspective first developed by Cox and McCubbins (1986). A more complete
theoretical model would nest both views of government behaviour, which have both been shown
to be empirically relevant. In our framework, taking into account such machine politics motives
could reverse the sign of the correlation between centralization and government strength. The
empirical relevance of these motives will thus tend to make it harder to detect the negative
correlation stemming from the mechanism captured by our simple theoretical model.

A second rather strong assumption is the passivity of local governments in the model.
While this assumption is in line with recent studies documenting the relatively low degree
of autonomy of local governments (e.g. Blöchliger and King, 2006), a more complete model
would also take into account the electoral objectives of local politicians. In a closely related
model, Joanis (2009) characterizes the vertical interactions between two levels of government
that are involved in the provision of a public good, in an environment where imperfect voter
information creates a shared accountability problem. An important feature of the model is
that the degree of decentralization is endogenous and depends, among other, on the relative
political conditions prevailing at each level of government, i.e. the extent to which each level
of government can affect its electoral fortunes by contributing to the public good. Specifically,
the model predicts that the degree of centralization is positively associated with the ratio of
the electoral uncertainty prevailing at the local level on the electoral uncertainty at the central
level. Thus, the sign of the correlation between central government strength and centralization
predicted above could be reversed by vertical interactions between the center and the local governments. Again, the empirical relevance of this mechanism will make it harder to estimate the predicted negative correlation between government strength and centralization.

This discussion of potentially confounding channels reinforces the appeal of an empirical test of our theory.

3 Empirical Framework and Data

We estimate the following general model:

\[
CENTRAL_{jt} = f(\gamma_{jt}|P_{jt}, X_{jt}),
\]

where \(\gamma\) corresponds to a variable measuring central government strength, \(P\) are other political variables, and \(X\) are non-political control variables.

We assembled a new database combining information from four sources: the IMF’s Government Financial Statistics (GFS); the World Bank’s Dataset of Political Indicators (DPI) and World Development Indicators (WDI); and the Polity 2 dataset from the University of Maryland. We avail of an unbalanced panel of a total of 107 countries (\(j\)) with yearly observations (\(t\)) for the period 1990 to 2006.\(^{12}\)

From GFS we included data on expenditures and revenues of different levels of government (central, state and local). We have used this information to construct our measures of centralization. DPI contains information on the political system of each country as well as a vast array of electoral variables, such as party composition and strength of national governments.

\(^{12}\)A total of 104 countries present at least one year of central government expenditure. The countries of former Yugoslavia are considered individually in our dataset. Note that our dataset includes all the countries of Panizza (1999) except: Central African Republic, Guatemala, Honduras, Iraq, Jordan, Kenya, Malawi, New Zealand, Senegal, Sri Lanka, Yemen and Zaire. However, data is missing in many instances leaving us with at most 64 countries in the sample.
and oppositions. We used this information for our measure of political strength and for political controls. The WDI dataset contains variables concerning overall economic indicators and constitutes our basis for additional control variables. Finally, we use Polity 2 (polity index > 0) to restrict our sample to democracies as we are in a political economy context.

Our dependent variables correspond to centralization ratios:

\[ CENTRAL = \frac{g^c}{g^c + g^s + g^l}, \]

where \( g \) is government expenditure or revenues; \( c \) is central government; \( s \) is state or sub-federal government; and \( l \) is local government. Thus, we contrast central government decisions with decisions taken at any sub-central unit. Data is taken from the GFS-Series 1 “Revenue Cash” and 2 “Cash expenditure” for central, state and local governments.\(^\text{13}\) We exclude observations with either expenditure or revenue centralization ratios equal to one, since we are unable to distinguish between absence of sub-central spending and missing data.\(^\text{14}\)

We measure government strength (\( \gamma \)) as the share of seats held by the government in the legislature.\(^\text{15}\) This variable represents the absolute political strength of the government and is close to our theoretical model.

Our political control variables (\( P_{jt} \)) are government and opposition Hirschmann-Herfindahl Indices (HHI), i.e. the sum of squared seat shares of government or opposition parties, respectively.\(^\text{16}\) The HHIs measure the breadth of the political spectrum that is part of both

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\(^\text{13}\) We computed overall public expenditure as indicated in (10). GFS contains the government unit “General Government”, which, in principle should correspond to the denominator of (10). However, information on this variable is lacking in many instances, and hence we did not use it. Additionally, we have run our regressions using the Series 7 “Outlays”. Results do not vary significantly and are available upon request.

\(^\text{14}\) Inspection of the data showed that the expenditure centralization ratio in Romania for 1990 was less than 1%. We dropped this observation as well.

\(^\text{15}\) All political variables are taken directly from DPI without transformation. Share of seats by government corresponds to the variable MAJ.

\(^\text{16}\) We prefer the HHI, the standard measure of market concentration in IO, to the simple number of parties in government. Alternatively, fractionalization, defined as 1 - HHI, is also used in the literature (see e.g. Elgie
government and opposition. Further we include dummies for left wing government, election year, coalition government if the government $HHI < 1$, and minority government for governments with less than 50% of seats in parliament ($\gamma < 0.5$). Left wing controls for potentially different preferences for decentralization across political views; spending might also be different in electoral years. Finally, coalition and minority government are used as alternatives to the $HHI$s in some specifications.

Note that DPI presents electoral results. Thus the government composition variables are constant for a particular country over the election cycle (e.g. 4 years). We take this into account for inference by clustering standard errors over the electoral cycle.

The economic controls ($X_{jt}$) correspond to GDP per capita, population and population density, all taken from WDI. Table 1 presents summary statistics.

Figure 1 provides an illustration of our theoretical prediction. For 2002, we plotted the degree of expenditure centralization on government strength ($\gamma$) finding a slightly negative correlation. Clearly, the countries in our sample differ in many other relevant aspects than political strength. In order to move beyond unconditional correlations we estimate the following version of equation (9):^17

$$CENTRAL_{jt} = \alpha + \beta_1 \gamma_{jt} + \beta_2 P_{jt} + \beta_3 X_{jt} + COUNTRY_j + YEAR_t + \varepsilon_{jt}, \quad (11)$$

where $COUNTRY_j$ is a vector of country fixed effects, and $YEAR_t$ is a vector of year effects.

We estimate the model for both expenditure and revenue centralization as the dependent

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^17Using Stata 11, we cannot estimate panel fixed effects models with our level of clustering. Thus we included both a vector of country and time dummies. However, the reported $R^2$ correspond to the within R-squares from (country) fixed effect regressions.
variable. To allow for the non-linear effect indicated by the theoretical model, we estimate all specifications including the square and cube of $\gamma$.\footnote{We choose a cubic specification for two reasons. First, political incentives might be different for very weak or very strong governments. A quadratic specification does not allow for this. Further, in our dataset both the AIC and BIC information criteria indicate that the cubic specification is a better fit to the data.}

We use fixed effects estimation to control for any country specific constant effects. This is different from Panizza (1999) and Arzaghi and Henderson (2005), although they also use GFS data. The first only considers a cross-section while the latter use random effects model. Their focus is mainly on aspects that are country-specific and fixed over time, while our focus is on time varying government strength. Many of the variables used in these earlier papers enter our fixed effects, and thus cannot be accounted for directly.

4 Estimation and Results

4.1 Expenditure Regressions

Table 2 presents our expenditure centralization specifications. The number of observations varies across models between 457 and 530, including 60 to 64 countries. At the bottom of the table, we present the likelihood and $R^2$ as goodness-of-fit measures as well as the joint significance (and $p$-value) of all the political variables.

In the most basic specification, column (1), where we only include government seat share ($\gamma$) and the fixed effects, we find a negative effect of government strength on centralization, as predicted by theory. The effect is not statistically significant, however. In column (2) we include economic controls ($X_{jt}$). We use logs of income per capita, population and population density. Further, we lag income one period anticipating the time elapsing between economic and political decision making. Including economic controls improves the fit of the model significantly, as illustrated by the increase in the $R^2$ from 0.003 to 0.33. The coefficient on
seat share remains negative and is slightly larger in absolute value, while still insignificant. Economic controls are in line with expectations. Higher income increases centralization as does a higher population density. Larger countries, in terms of population, decrease the level of centralization, ceteris paribus.

Columns (3) and (4) present our full models including all political variables. The coefficient value for government strength in column (3) does not vary much and is close to $-0.04$. Now it is statistically significant at the 10%-level, while from the other political controls only left wing is significant. Interestingly, governments more on the left side of the political spectrum, while typically expected to increase their own spending, are associated to lower levels of centralization. The two concentration measures (government and opposition HHI) are not significant.

Political variables are (marginally) jointly significant at the 10%-level. Column (4) presents a robustness check on the political variables. We drop the HHIs and include dummies for coalition and minority government. The coefficient value of our main variable does not change much, but we loose statistical significance. Note that additionally to a left wing government, a coalition also reduces the degree of centralization.

We next present the results of our non-linear specification in columns (5) to (8). Controls are identical as in the linear specification and their coefficients do not change much. We loose statistical significance for left wing in column (7), but coalition in column (8) is significant at the 5%-level.

There is a dramatic change, however, in the precision of the effect of government strength. Across all specifications, all terms of $\gamma$ are highly statistically significant. The overall effect remains negative. The upper panel of Figure 2 plots the cumulative effect of the polynomial coefficients over the range of observed values for political strength. First, the (upper) confidence interval illustrates that the effect is significantly negative over the range observed. Second, the
empirical effect is fairly constant over medium values of $\gamma$. It appears thus that, via the flexible cubic specification, our main effect varies for extreme values of *strength*. This makes sense in as much as our model might not adequately capture the incentives of governments facing extreme values of $\gamma$. For instance, values close to zero for $\gamma$ might correspond to situations where the (only slightly) strongest party has very limited decisional power within a government coalition, while values close to one may allow governments to essentially abstract from courting the electorate.

### 4.2 Revenue Regressions

Table 3 presents the same specifications as Table 2 with revenue centralization as the dependent variable. The number of observations varies between 458 and 529, corresponding to 59 to 64 countries.

The effect of *government strength* on centralization is negative throughout all specifications. Mirroring expenditure results, it is not statistically significant in the linear specifications (columns (1) to (4)). Again, if we allow for the more flexible cubic specification, the precision of the coefficients increases manyfold and the overall effect is (significantly) negative. The cumulative effect is illustrated in the lower panel of Figure 2.

The economic controls contribute largely to the fit of the model. Their effects (and coefficient magnitudes) are highly similar to the expenditures regressions.

From the other political controls we observe that the *opposition HHI* is significant and negative both in the linear and cubic specification. Hence, a more dispersed political opposition reduces the degree of centralization. Further, in the non-linear specification a coalition reduces centralization.
4.3 Discussion of Results

We consistently find, across all specifications, that more government strength leads to a lower degree of centralization. Controlling for other political aspects renders the effect significant (in the expenditure regressions), while allowing for a non-linear effect renders it highly significant.

We would argue that this is an important and relevant result. Our country panel allows to estimate the average effect of $\gamma$, controlling for a wide range of other determinants of centralization, in particular everything that is country-specific via fixed effects. Hence, our results confirm our theoretical prior that stronger politicians have a weaker incentive to spend by themselves on public good provision, since they do not have to invest as heavily in their reelection, thus applying downward pressure on the centralization ratio.

The magnitude of the effect, however, does not appear to be very large when one considers the linear specification. Based on Table 2 column (3) an increase in government strength from the first decile ($= 0.56$) to the ninth decile ($= 0.94$) implies a decrease in the level of decentralization of 1.5 percentage points, representing about 2% evaluated at the mean ($= 0.77$). The effect is stronger in the cubic specification. This is illustrated in Figure 2, indicating an overall effect of government strength of roughly $-0.2$ evaluated at the mean. Here an increase in $\gamma$ from the first to the ninth decile implies a reduction in centralization of 5.6 percentage points, equal to 7.5% evaluated at the mean.

While the sign and magnitude of our coefficients are stable across specifications, we do not obtain statistical significance particularly in the linear specification. On the one hand, this confirms our theoretical prior, pointing toward a non-linear relationship. Intuitively, governments that are at either side of the range of $\gamma$ might be exposed to other incentives than governments with medium strength. On the other hand, our approach to inference, clustering
at the electoral cycle, is quite conservative.

While our results are robust to a number of different specifications, they must be interpreted with caution given some caveats. First, the GFS are often criticized for their frequent missing data points and for hard-to-interpret variations in revenue and expenditure items for some countries. However, to date, they remain the only comprehensive data source if one wants to look at determinants of decentralization in a cross-country context including less developed countries. Second, unobserved preferences of the electorate jointly determine political strength and the level of decentralization, thus creating an endogeneity problem. We would argue that these preferences can be considered fairly stable over the period covered by our data and that the problem is thus attenuated by the inclusion of country fixed effects. Finally, and in our opinion most importantly, our theoretical model assumes passive sub-federal governments. This is in great part driven by the availability of data, as we do not have political indicators at the sub-federal level. Yet, as discussed above, sub-federal governments interact with central government decisions in ways that may well reverse the channel highlighted by our theory.

5 Conclusion

Does electoral competition affect the degree of (de-)centralization in a federation? We address this question empirically based on a simple political economy model. Our theoretical prediction is that the degree of centralization is inversely related to the electoral strength of the central government. The intuition behind this is that a strong government has a lesser incentive to court its electorate by contributing to the public good. This in turn reduces the degree of centralization.

\footnote{Given the absence of better data, GFS data are widely used (and published). Examples are: the directly related Panizza (1999) and Arzaghi and Henderson (2005); and the more recent Enikolopov and Zhuravskaya (2007) and Teobaldelli (2011).}
We test this prediction using a panel of countries with yearly observations between 1990 and 2006. In our estimates we consistently find that electoral strength, measured as the share of seats held by government in parliament, reduces the level of centralization. Thus our results confirm our theoretical prior. We identify a highly significant non-linear (cubic) relationship between government strength and centralization.

While the cross-country analysis presented in this paper remains exploratory given the caveats discussed in the previous section, we are confident that our analysis is a useful stepping stone to advance our understanding of key political economy aspects of decentralization. We extend the analysis precurored by Panizza (1999) and Arzaghi and Henderson (2005) by introducing in a structured way electoral politics as a determinant of decentralization. Some of the issues mentioned above could potentially be addressed, in further research, by considering within-country data. As such, this paper is part of a broader, ongoing research agenda. Nevertheless, the analysis is already suggestive of implications for policy design, highlighting the need for decentralization reforms to take into account the reality of the political process. With decentralization of expenditure responsibilities being an increasingly pervasive institution in both developed and developing countries, this paper indicates a need to shift the policy focus from whether decentralization is desirable to how decentralization is actually implemented.
References


Figure 1: Electoral Strength and Centralization

The figure shows a scatter plot comparing electoral strength and expenditure centralization for various countries in 2002. The countries include Switzerland, Canada, Malta, Chile, Costa Rica, Peru, India, Malaysia, Thailand, Mauritius, Bulgaria, Slovenia, Ethiopia, Bulgaria, Latvia, Czech Republic, Slovak Republic, Ukraine, Croatia, Slovenia, India, and Canada. A fitted line indicates a trend between electoral strength and centralization ratio.
Figure 2: Cumulative Effect of Political Strength on Centralization
- Non-linear Specification

Expenditure Centralization

Revenue Centralization
<table>
<thead>
<tr>
<th>Variable</th>
<th>Observations</th>
<th>Mean</th>
<th>Std. Dev.</th>
<th>Min</th>
<th>Max</th>
</tr>
</thead>
<tbody>
<tr>
<td>Expenditure Centralization</td>
<td>532</td>
<td>0.77</td>
<td>0.14</td>
<td>0.40</td>
<td>0.99</td>
</tr>
<tr>
<td>Revenue Centralization</td>
<td>531</td>
<td>0.74</td>
<td>0.15</td>
<td>0.39</td>
<td>0.99</td>
</tr>
<tr>
<td>Government seat share (γ)</td>
<td>535</td>
<td>0.57</td>
<td>0.14</td>
<td>0.17</td>
<td>0.97</td>
</tr>
<tr>
<td>Government Herfindahl index</td>
<td>537</td>
<td>0.67</td>
<td>0.28</td>
<td>0.11</td>
<td>1.00</td>
</tr>
<tr>
<td>Opposition Herfindahl index</td>
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Sources: GFS, DPI, WDI
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* p<0.1, ** p<0.05, *** p<0.01

Notes: A constant, time effects and country fixed effects included in all regressions.
Standard errors clustered across the electoral cycle.
R-squared presented from fixed effect panel regression.
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